

# Package ‘GeneSelectMMD’

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**Type** Package

**Title** Gene selection based on the marginal distributions of gene profiles that characterized by a mixture of three-component multivariate distributions

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**Depends** R (>= 2.13.2), Biobase

**Imports** MASS, graphics, stats, limma

**Suggests** ALL

**Description** Gene selection based on a mixture of marginal distributions.

**License** GPL (>= 2)

**biocViews** DifferentialExpression

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errRates	<i>Calculating FDR, FNDR, FPR, and FNR for a real microarray data set</i>
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### Description

Calculating FDR, FNDR, FPR, and FNR for a real microarray data set based on the mixture of marginal distributions.

### Usage

```
errRates(obj.gsMMD)
```

### Arguments

obj.gsMMD      an object returned by gsMMD, gsMMD.default, gsMMD2, or gsMMD2.default

### Details

We first fit the real microarray data set by the mixture of marginal distributions. Then we calculate the error rates based on the posterior distributions of a gene belonging to a gene cluster given its gene profiles. Please refer to Formula (7) on the page 6 of the paper listed in the Reference section.

### Value

A vector of 4 elements:

FDR            the percentage of nondifferentially expressed genes among selected genes.

FNDR          the percentage of differentially expressed genes among unselected genes.

FPR            the percentage of selected genes among nondifferentially expressed genes

FNR            the percentage of un-selected genes among differentially expressed genes

### Author(s)

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## References

Qiu, W.-L., He, W., Wang, X.-G. and Lazarus, R. (2008). A Marginal Mixture Model for Selecting Differentially Expressed Genes across Two Types of Tissue Samples. *The International Journal of Biostatistics*. 4(1):Article 20. <http://www.bepress.com/ijb/vol4/iss1/20>

## Examples

```
## Not run:
library(ALL)
data(ALL)
eSet1 <- ALL[1:100, ALL$BT == "B3" | ALL$BT == "T2"]

mem.str <- as.character(eSet1$BT)
nSubjects <- length(mem.str)
memSubjects <- rep(0, nSubjects)
# B3 coded as 0, T2 coded as 1
memSubjects[mem.str == "T2"] <- 1

obj.gsMMD <- gsMMD(eSet1, memSubjects, transformFlag = TRUE,
  transformMethod = "boxcox", scaleFlag = TRUE, quiet = FALSE)
round(errRates(obj.gsMMD), 3)

## End(Not run)
```

---

 gsMMD

*Gene selection based on a mixture of marginal distributions*


---

## Description

Gene selection based on the marginal distributions of gene profiles that characterized by a mixture of three-component multivariate distributions. Input is an object derived from the class `ExpressionSet`. The function will obtain initial gene cluster membership by its own.

## Usage

```
gsMMD(obj.eSet,
  memSubjects,
  maxFlag = TRUE,
  thrshPostProb = 0.5,
  geneNames = NULL,
  alpha = 0.05,
  iniGeneMethod = "Ttest",
  transformFlag = FALSE,
  transformMethod = "boxcox",
  scaleFlag = TRUE,
  criterion = c("cor", "skewness", "kurtosis"),
  minL = -10,
  maxL = 10,
```

```

stepL = 0.1,
eps = 0.001,
ITMAX = 100,
plotFlag = FALSE,
quiet=TRUE)

```

### Arguments

<code>obj.eSet</code>	an object derived from the class <code>ExpressionSet</code> which contains the matrix of gene expression levels. The rows of the matrix are genes. The columns of the matrix are subjects.
<code>memSubjects</code>	a vector of membership of subjects. <code>memSubjects[i]=1</code> means the $i$ -th subject belongs to diseased group, 0 otherwise.
<code>maxFlag</code>	logical. Indicate how to assign gene class membership. <code>maxFlag=TRUE</code> means that a gene will be assigned to a class in which the posterior probability of the gene belongs to this class is maximum. <code>maxFlag=FALSE</code> means that a gene will be assigned to class 1 if the posterior probability of the gene belongs to class 1 is greater than <code>thrshPostProb</code> . Similarly, a gene will be assigned to class 1 if the posterior probability of the gene belongs to class 1 is greater than <code>thrshPostProb</code> . If the posterior probability is less than <code>thrshPostProb</code> , the gene will be assigned to class 2 (non-differentially expressed gene group).
<code>thrshPostProb</code>	threshold for posterior probabilities. For example, if the posterior probability that a gene belongs to cluster 1 given its gene expression levels is larger than <code>thrshPostProb</code> , then this gene will be assigned to cluster 1.
<code>geneNames</code>	an optional character vector of gene names
<code>alpha</code>	significant level which is equal to <code>1-conf.level</code> , <code>conf.level</code> is the argument for the function <code>t.test</code> .
<code>iniGeneMethod</code>	method to get initial 3-cluster partition of genes. Available methods are: “Ttest”, “Wilcox”.
<code>transformFlag</code>	logical. Indicate if data transformation is needed
<code>transformMethod</code>	method for transforming data. Available methods include "boxcox", "log2", "log10", "log", "none".
<code>scaleFlag</code>	logical. Indicate if gene profiles are to be scaled to have mean zero and variance one. If <code>transformFlag=TRUE</code> and <code>scaleFlag=TRUE</code> , then scaling is performed after transformation. To avoid linear dependence of tissue samples after scaling gene profiles, we delete one tissue sample after scaling (c.f. details).
<code>criterion</code>	if <code>transformFlag=TRUE</code> , <code>criterion</code> indicates what criterion to determine if data looks like normal. “cor” means using Pearson’s correlation. The idea is that the observed quantiles after transformation should be close to theoretical normal quantiles. So we can use Pearson’s correlation to check if the scatter plot of theoretical normal quantiles versus observed quantiles is a straightline. “skewness” means using skewness measure to check if the distribution of the transformed data are close to normal distribution; “kurtosis” means using kurtosis measure to check normality.
<code>minL</code>	lower limit for the lambda parameter used in Box-Cox transformation

maxL	upper limit for the lambda parameter used in Box-Cox transformation
stepL	tolerance when searching the optimal lambda parameter used in Box-Cox transformation
eps	a small positive value. If the absolute value of a value is smaller than eps, this value is regarded as zero.
ITMAX	maximum iteration allowed for iterations in the EM algorithm
plotFlag	logical. Indicate if the Box-Cox normality plot should be output.
quiet	logical. Indicate if intermediate results should be printed out.

## Details

We assume that the distribution of gene expression profiles is a mixture of 3-component multivariate normal distributions  $\sum_{k=1}^3 \pi_k f_k(x|\theta)$ . Each component distribution  $f_k$  corresponds to a gene cluster. The 3 components correspond to 3 gene clusters: (1) up-regulated gene cluster, (2) non-differentially expressed gene cluster, and (3) down-regulated gene cluster. The model parameter vector is  $\theta = (\pi_1, \pi_2, \pi_3, \mu_{c1}, \sigma_{c1}^2, \rho_{c1}, \mu_{n1}, \sigma_{n1}^2, \rho_{n1}, \mu_2, \sigma_2^2, \rho_2, \mu_{c3}, \sigma_{c3}^2, \rho_{c3}, \mu_{n3}, \sigma_{n3}^2, \rho_{n3})$  where  $\pi_1, \pi_2$ , and  $\pi_3$  are the mixing proportions;  $\mu_{c1}, \sigma_{c1}^2$ , and  $\rho_{c1}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 1 (up-regulated genes) for diseased subjects;  $\mu_{n1}, \sigma_{n1}^2$ , and  $\rho_{n1}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 1 (up-regulated genes) for non-diseased subjects;  $\mu_2, \sigma_2^2$ , and  $\rho_2$  are the marginal mean, variance, and correlation of gene expression levels of cluster 2 (non-differentially expressed genes);  $\mu_{c3}, \sigma_{c3}^2$ , and  $\rho_{c3}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 3 (up-regulated genes) for diseased subjects;  $\mu_{n3}, \sigma_{n3}^2$ , and  $\rho_{n3}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 3 (up-regulated genes) for non-diseased subjects.

Note that genes in cluster 2 are non-differentially expressed across abnormal and normal tissue samples. Hence there are only 3 parameters for cluster 2.

To make sure the identifiability, we set the following constraints:  $\mu_{c1} > \mu_{n1}$  and  $\mu_{c3} < \mu_{n3}$ .

To make sure the marginal covariance matrices are positive definite, we set the following constraints:  $-1/(n_c - 1) < \rho_{c1} < 1$ ,  $-1/(n_n - 1) < \rho_{n1} < 1$ ,  $-1/(n - 1) < \rho_2 < 1$ ,  $-1/(n_c - 1) < \rho_{c3} < 1$ ,  $-1/(n_n - 1) < \rho_{n3} < 1$ .

We also has the following constraints for the mixing proportion:  $\pi_3 = 1 - \pi_1 - \pi_2$ ,  $\pi_k > 0$ ,  $k = 1, 2, 3$ .

We apply the EM algorithm to estimate the model parameters. We regard the cluster membership of genes as missing values.

To facilitate the estimation of the parameters, we reparametrize the parameter vector as  $\theta^* = (\pi_1, \pi_2, \mu_{c1}, \sigma_{c1}^2, r_{c1}, \delta_{n1}, \sigma_{n1}^2, r_{n1}, \mu_2, \sigma_2^2, r_2, \mu_{c3}, \sigma_{c3}^2, r_{c3}, \delta_{n3}, \sigma_{n3}^2, r_{n3})$ , where  $\mu_{n1} = \mu_{c1} - \exp(\delta_{n1})$ ,  $\mu_{n3} = \mu_{c3} + \exp(\delta_{n3})$ ,  $\rho_{c1} = (\exp(r_{c1}) - 1/(n_c - 1))/(1 + \exp(r_{c1}))$ ,  $\rho_{n1} = (\exp(r_{n1}) - 1/(n_n - 1))/(1 + \exp(r_{n1}))$ ,  $\rho_2 = (\exp(r_2) - 1/(n - 1))/(1 + \exp(r_2))$ ,  $\rho_{c3} = (\exp(r_{c3}) - 1/(n_c - 1))/(1 + \exp(r_{c3}))$ ,  $\rho_{n3} = (\exp(r_{n3}) - 1/(n_n - 1))/(1 + \exp(r_{n3}))$ .

Given a gene, the expression levels of the gene are assumed independent. However, after scaling, the scaled expression levels of the gene are no longer independent and the rank  $r^* = r - 1$  of the covariance matrix for the scaled gene profile will be one less than the rank  $r$  for the un-scaled gene profile Hence the covariance matrix of the gene profile will no longer be positive-definite. To avoid this problem, we delete a tissue sample after scaling since its information has been incorporated

by other scaled tissue samples. We arbitrarily select the tissue sample, which has the biggest label number, from the tissue sample group that has larger size than the other tissue sample group. For example, if there are 6 cancer tissue samples and 10 normal tissue samples, we delete the 10-th normal tissue sample after scaling.

### Value

A list contains 18 elements.

dat	the (transformed) microarray data matrix. If transformation performed, then dat will be different from the input microarray data matrix.
memSubjects	the same as the input memSubjects.
memGenes	a vector of cluster membership of genes. 1 means up-regulated gene; 2 means non-differentially expressed gene; 3 means down-regulated gene.
memGenes2	an variant of the vector of cluster membership of genes. 1 means differentially expressed gene; 0 means non-differentially expressed gene.
para	parameter estimates (c.f. details).
llkh	value of the loglikelihood function.
wiMat	posterior probability that a gene belongs to a cluster given the expression levels of this gene. Column i is for cluster i.
wiArray	posterior probability matrix for different initial gene selection methods.
memIniMat	a matrix of initial cluster membership of genes.
paraIniMat	a matrix of parameter estimates based on initial gene cluster membership.
llkhIniVec	a vector of values of loglikelihood function.
memMat	a matrix of cluster membership of genes based on the mixture of marginal models with initial parameter estimates obtained initial gene cluster membership.
paraMat	a matrix of parameter estimates based on the mixture of marginal models with initial parameter estimates obtained initial gene cluster membership.
llkhVec	a vector of values of loglikelihood function based on the mixture of marginal models with initial parameter estimates obtained initial gene cluster membership.
lambda	the parameter used to do Box-Cox transformation
paraRP	parameter estimates for reparametrized parameter vector (c.f. details).
paraIniMatRP	a matrix of parameter estimates for reparametrized parameter vector based on initial gene cluster membership.
paraMatRP	a matrix of parameter estimates for reparametrized parameter vector based on the mixture of marginal models with initial parameter estimates obtained initial gene cluster membership.

### Note

The speed of the program can be slow for large data sets, however it has been improved using Fortran code.

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**References**

Qiu, W.-L., He, W., Wang, X.-G. and Lazarus, R. (2008). A Marginal Mixture Model for Selecting Differentially Expressed Genes across Two Types of Tissue Samples. *The International Journal of Biostatistics*. 4(1):Article 20. <http://www.bepress.com/ijb/vol4/iss1/20>

**See Also**

[gsMMD.default](#), [gsMMD2](#), [gsMMD2.default](#)

**Examples**

```
library(ALL)
data(ALL)
eSet1 <- ALL[1:100, ALL$BT == "B3" | ALL$BT == "T2"]

mem.str <- as.character(eSet1$BT)
nSubjects <- length(mem.str)
memSubjects <- rep(0, nSubjects)
# B3 coded as 0, T2 coded as 1
memSubjects[mem.str == "T2"] <- 1

obj.gsMMD <- gsMMD(eSet1, memSubjects, transformFlag = TRUE,
  transformMethod = "boxcox", scaleFlag = TRUE, quiet = FALSE)
round(obj.gsMMD$para, 3)
```

---

gsMMD.default

*Gene selection based on a mixture of marginal distributions*

---

**Description**

Gene selection based on the marginal distributions of gene profiles that characterized by a mixture of three-component multivariate distributions. Input is a data matrix. The function will obtain initial gene cluster membership by its own.

**Usage**

```
gsMMD.default(X,
  memSubjects,
  maxFlag = TRUE,
  thrshPostProb = 0.5,
  geneNames = NULL,
  alpha = 0.05,
```

```

iniGeneMethod = "Ttest",
transformFlag = FALSE,
transformMethod = "boxcox",
scaleFlag = TRUE,
criterion = c("cor", "skewness", "kurtosis"),
minL = -10,
maxL = 10,
stepl = 0.1,
eps = 0.001,
ITMAX = 100,
plotFlag = FALSE,
quiet=TRUE)

```

### Arguments

X	a data matrix. The rows of the matrix are genes. The columns of the matrix are subjects.
memSubjects	a vector of membership of subjects. memSubjects[i]=1 means the <i>i</i> -th subject belongs to diseased group, 0 otherwise.
maxFlag	logical. Indicate how to assign gene class membership. maxFlag=TRUE means that a gene will be assigned to a class in which the posterior probability of the gene belongs to this class is maximum. maxFlag=FALSE means that a gene will be assigned to class 1 if the posterior probability of the gene belongs to class 1 is greater than thrshPostProb. Similarly, a gene will be assigned to class 1 if the posterior probability of the gene belongs to class 1 is greater than thrshPostProb. If the posterior probability is less than thrshPostProb, the gene will be assigned to class 2 (non-differentially expressed gene group).
thrshPostProb	threshold for posterior probabilities. For example, if the posterior probability that a gene belongs to cluster 1 given its gene expression levels is larger than thrshPostProb, then this gene will be assigned to cluster 1.
geneNames	an optional character vector of gene names
alpha	significant level which is equal to 1-conf.level, conf.level is the argument for the function t.test.
iniGeneMethod	method to get initial 3-cluster partition of genes. Available methods are: "Ttest", "Wilcox".
transformFlag	logical. Indicate if data transformation is needed
transformMethod	method for transforming data. Available methods include "boxcox", "log2", "log10", "log", "none".
scaleFlag	logical. Indicate if gene profiles are to be scaled. If transformFlag=TRUE and scaleFlag=TRUE, then scaling is performed after transformation. To avoid linear dependence of tissue samples after scaling gene profiles, we delete one tissue sample after scaling (c.f. details).
criterion	if transformFlag=TRUE, criterion indicates what criterion to determine if data looks like normal. "cor" means using Pearson's correlation. The idea is that the observed quantiles after transformation should be close to theoretical

normal quantiles. So we can use Pearson's correlation to check if the scatter plot of theoretical normal quantiles versus observed quantiles is a straightline. "skewness" means using skewness measure to check if the distribution of the transformed data are close to normal distribution; "kurtosis" means using kurtosis measure to check normality.

minL	lower limit for the lambda parameter used in Box-Cox transformation
maxL	upper limit for the lambda parameter used in Box-Cox transformation
stepL	tolerance when searching the optimal lambda parameter used in Box-Cox transformation
eps	a small positive value. If the absolute value of a value is smaller than eps, this value is regarded as zero.
ITMAX	maximum iteration allowed for iterations in the EM algorithm
plotFlag	logical. Indicate if the Box-Cox normality plot should be output.
quiet	logical. Indicate if intermediate results should be printed out.

## Details

We assume that the distribution of gene expression profiles is a mixture of 3-component multivariate normal distributions  $\sum_{k=1}^3 \pi_k f_k(x|\theta)$ . Each component distribution  $f_k$  corresponds to a gene cluster. The 3 components correspond to 3 gene clusters: (1) up-regulated gene cluster, (2) non-differentially expressed gene cluster, and (3) down-regulated gene cluster. The model parameter vector is  $\theta = (\pi_1, \pi_2, \pi_3, \mu_{c1}, \sigma_{c1}^2, \rho_{c1}, \mu_{n1}, \sigma_{n1}^2, \rho_{n1}, \mu_2, \sigma_2^2, \rho_2, \mu_{c3}, \sigma_{c3}^2, \rho_{c3}, \mu_{n3}, \sigma_{n3}^2, \rho_{n3})$  where  $\pi_1, \pi_2$ , and  $\pi_3$  are the mixing proportions;  $\mu_{c1}, \sigma_{c1}^2$ , and  $\rho_{c1}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 1 (up-regulated genes) for diseased subjects;  $\mu_{n1}, \sigma_{n1}^2$ , and  $\rho_{n1}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 1 (up-regulated genes) for non-diseased subjects;  $\mu_2, \sigma_2^2$ , and  $\rho_2$  are the marginal mean, variance, and correlation of gene expression levels of cluster 2 (non-differentially expressed genes);  $\mu_{c3}, \sigma_{c3}^2$ , and  $\rho_{c3}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 3 (up-regulated genes) for diseased subjects;  $\mu_{n3}, \sigma_{n3}^2$ , and  $\rho_{n3}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 3 (up-regulated genes) for non-diseased subjects.

Note that genes in cluster 2 are non-differentially expressed across abnormal and normal tissue samples. Hence there are only 3 parameters for cluster 2.

To make sure the identifiability, we set the following constraints:  $\mu_{c1} > \mu_{n1}$  and  $\mu_{c3} < \mu_{n3}$ .

To make sure the marginal covariance matrices are positive definite, we set the following constraints:  $-1/(n_c - 1) < \rho_{c1} < 1$ ,  $-1/(n_n - 1) < \rho_{n1} < 1$ ,  $-1/(n - 1) < \rho_2 < 1$ ,  $-1/(n_c - 1) < \rho_{c3} < 1$ ,  $-1/(n_n - 1) < \rho_{n3} < 1$ .

We also has the following constraints for the mixing proportion:  $\pi_3 = 1 - \pi_1 - \pi_2$ ,  $\pi_k > 0$ ,  $k = 1, 2, 3$ .

We apply the EM algorithm to estimate the model parameters. We regard the cluster membership of genes as missing values.

To facilitate the estimation of the parameters, we reparametrize the parameter vector as  $\theta^* = (\pi_1, \pi_2, \mu_{c1}, \sigma_{c1}^2, r_{c1}, \delta_{n1}, \sigma_{n1}^2, r_{n1}, \mu_2, \sigma_2^2, r_2, \mu_{c3}, \sigma_{c3}^2, r_{c3}, \delta_{n3}, \sigma_{n3}^2, r_{n3})$ , where  $\mu_{n1} = \mu_{c1} - \exp(\delta_{n1})$ ,  $\mu_{n3} = \mu_{c3} + \exp(\delta_{n3})$ ,  $\rho_{c1} = (\exp(r_{c1}) - 1)/(n_c - 1)/(1 + \exp(r_{c1}))$ ,  $\rho_{n1} = (\exp(r_{n1}) -$

$1/(n_n - 1)/(1 + \exp(r_{n1}))$ ,  $\rho_2 = (\exp(r_2) - 1/(n - 1))/(1 + \exp(r_2))$ ,  $\rho_{c3} = (\exp(r_{c3}) - 1/(n_c - 1))/(1 + \exp(r_{c3}))$ ,  $\rho_{n3} = (\exp(r_{n3}) - 1/(n_n - 1))/(1 + \exp(r_{n3}))$ .

Given a gene, the expression levels of the gene are assumed independent. However, after scaling, the scaled expression levels of the gene are no longer independent and the rank  $r^* = r - 1$  of the covariance matrix for the scaled gene profile will be one less than the rank  $r$  for the un-scaled gene profile. Hence the covariance matrix of the gene profile will no longer be positive-definite. To avoid this problem, we delete a tissue sample after scaling since its information has been incorporated by other scaled tissue samples. We arbitrarily select the tissue sample, which has the biggest label number, from the tissue sample group that has larger size than the other tissue sample group. For example, if there are 6 cancer tissue samples and 10 normal tissue samples, we delete the 10-th normal tissue sample after scaling.

### Value

A list contains 18 elements.

dat	the (transformed) microarray data matrix. If transformation performed, then dat will be different from the input microarray data matrix.
memSubjects	the same as the input memSubjects.
memGenes	a vector of cluster membership of genes. 1 means up-regulated gene; 2 means non-differentially expressed gene; 3 means down-regulated gene.
memGenes2	an variant of the vector of cluster membership of genes. 1 means differentially expressed gene; 0 means non-differentially expressed gene.
para	parameter estimates (c.f. details).
llkh	value of the loglikelihood function.
wiMat	posterior probability that a gene belongs to a cluster given the expression levels of this gene. Column i is for cluster i.
wiArray	posterior probability matrix for different initial gene selection methods.
memIniMat	a matrix of initial cluster membership of genes.
paraIniMat	a matrix of parameter estimates based on initial gene cluster membership.
llkhIniVec	a vector of values of loglikelihood function.
memMat	a matrix of cluster membership of genes based on the mixture of marginal models with initial parameter estimates obtained initial gene cluster membership.
paraMat	a matrix of parameter estimates based on the mixture of marginal models with initial parameter estimates obtained initial gene cluster membership.
llkhVec	a vector of values of loglikelihood function based on the mixture of marginal models with initial parameter estimates obtained initial gene cluster membership.
lambda	the parameter used to do Box-Cox transformation
paraRP	parameter estimates for reparametrized parameter vector (c.f. details).
paraIniMatRP	a matrix of parameter estimates for reparametrized parameter vector based on initial gene cluster membership.
paraMatRP	a matrix of parameter estimates for reparametrized parameter vector based on the mixture of marginal models with initial parameter estimates obtained initial gene cluster membership.

**Note**

The speed of the program can be slow for large data sets, however it has been improved using Fortran code.

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**References**

Qiu, W.-L., He, W., Wang, X.-G. and Lazarus, R. (2008). A Marginal Mixture Model for Selecting Differentially Expressed Genes across Two Types of Tissue Samples. *The International Journal of Biostatistics*. 4(1):Article 20. <http://www.bepress.com/ijb/vol4/iss1/20>

**See Also**

[gsMMD](#), [gsMMD2](#), [gsMMD2.default](#)

**Examples**

```
## Not run:
library(ALL)
data(ALL)
eSet1 <- ALL[1:100, ALL$BT == "B3" | ALL$BT == "T2"]
mat <- exprs(eSet1)

mem.str <- as.character(eSet1$BT)
nSubjects <- length(mem.str)
memSubjects <- rep(0, nSubjects)
# B3 coded as 0, T2 coded as 1
memSubjects[mem.str == "T2"] <- 1

obj.gsMMD <- gsMMD.default(mat, memSubjects, iniGeneMethod = "Ttest",
  transformFlag = TRUE, transformMethod = "boxcox", scaleFlag = TRUE)
round(obj.gsMMD$para, 3)

## End(Not run)
```

---

 gsMMD2

*Gene selection based on a mixture of marginal distributions*


---

**Description**

Gene selection based on the marginal distributions of gene profiles that characterized by a mixture of three-component multivariate distributions. Input is an object derived from the class `ExpressionSet`. The user needs to provide initial gene cluster membership.

**Usage**

```
gsMMD2(obj.eSet,
       memSubjects,
       memIni,
       maxFlag = TRUE,
       thrshPostProb = 0.5,
       geneNames = NULL,
       alpha = 0.05,
       transformFlag = FALSE,
       transformMethod = "boxcox",
       scaleFlag = TRUE,
       criterion = c("cor", "skewness", "kurtosis"),
       minL = -10,
       maxL = 10,
       stepL = 0.1,
       eps = 0.001,
       ITMAX = 100,
       plotFlag = FALSE,
       quiet=TRUE)
```

**Arguments**

<code>obj.eSet</code>	an object derived from the class <code>ExpressionSet</code> which contains the matrix of gene expression levels. The rows of the matrix are genes. The columns of the matrix are subjects.
<code>memSubjects</code>	a vector of membership of subjects. <code>memSubjects[i]=1</code> means that the <i>i</i> -th subject belongs to diseased group, 0 otherwise.
<code>memIni</code>	a vector of user-provided gene cluster membership.
<code>maxFlag</code>	logical. Indicate how to assign gene class membership. <code>maxFlag=TRUE</code> means that a gene will be assigned to a class in which the posterior probability of the gene belongs to this class is maximum. <code>maxFlag=FALSE</code> means that a gene will be assigned to class 1 if the posterior probability of the gene belongs to class 1 is greater than <code>thrshPostProb</code> . Similarly, a gene will be assigned to class 1 if the posterior probability of the gene belongs to class 1 is greater than <code>thrshPostProb</code> . If the posterior probability is less than <code>thrshPostProb</code> , the gene will be assigned to class 2 (non-differentially expressed gene group).
<code>thrshPostProb</code>	threshold for posterior probabilities. For example, if the posterior probability that a gene belongs to cluster 1 given its gene expression levels is larger than <code>thrshPostProb</code> , then this gene will be assigned to cluster 1.
<code>geneNames</code>	an optional character vector of gene names
<code>alpha</code>	significant level which is equal to <code>1-conf.level</code> , <code>conf.level</code> is the argument for the function <code>t.test</code> .
<code>transformFlag</code>	logical. Indicate if data transformation is needed
<code>transformMethod</code>	method for transforming data. Available methods include "boxcox", "log2", "log10", "log", "none".

scaleFlag	logical. Indicate if gene profiles are to be scaled. If transformFlag=TRUE and scaleFlag=TRUE, then scaling is performed after transformation. To avoid linear dependence of tissue samples after scaling gene profiles, we delete one tissue sample after scaling (c.f. details).
criterion	if transformFlag=TRUE, criterion indicates what criterion to determine if data looks like normal. “cor” means using Pearson’s correlation. The idea is that the observed quantiles after transformation should be close to theoretical normal quantiles. So we can use Pearson’s correlation to check if the scatter plot of theoretical normal quantiles versus observed quantiles is a straightline. “skewness” means using skewness measure to check if the distribution of the transformed data are close to normal distribution; “kurtosis” means using kurtosis measure to check normality.
minL	lower limit for the lambda parameter used in Box-Cox transformation
maxL	upper limit for the lambda parameter used in Box-Cox transformation
stepL	tolerance when searching the optimal lambda parameter used in Box-Cox transformation
eps	a small positive value. If the absolute value of a value is smaller than eps, this value is regarded as zero.
ITMAX	maximum iteration allowed for iterations in the EM algorithm
plotFlag	logical. Indicate if the Box-Cox normality plot should be output.
quiet	logical. Indicate if intermediate results should be printed out.

## Details

We assume that the distribution of gene expression profiles is a mixture of 3-component multivariate normal distributions  $\sum_{k=1}^3 \pi_k f_k(x|\theta)$ . Each component distribution  $f_k$  corresponds to a gene cluster. The 3 components correspond to 3 gene clusters: (1) up-regulated gene cluster, (2) non-differentially expressed gene cluster, and (3) down-regulated gene cluster. The model parameter vector is  $\theta = (\pi_1, \pi_2, \pi_3, \mu_{c1}, \sigma_{c1}^2, \rho_{c1}, \mu_{n1}, \sigma_{n1}^2, \rho_{n1}, \mu_2, \sigma_2^2, \rho_2, \mu_{c3}, \sigma_{c3}^2, \rho_{c3}, \mu_{n3}, \sigma_{n3}^2, \rho_{n3})$ . where  $\pi_1, \pi_2$ , and  $\pi_3$  are the mixing proportions;  $\mu_{c1}, \sigma_{c1}^2$ , and  $\rho_{c1}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 1 (up-regulated genes) for diseased subjects;  $\mu_{n1}, \sigma_{n1}^2$ , and  $\rho_{n1}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 1 (up-regulated genes) for non-diseased subjects;  $\mu_2, \sigma_2^2$ , and  $\rho_2$  are the marginal mean, variance, and correlation of gene expression levels of cluster 2 (non-differentially expressed genes);  $\mu_{c3}, \sigma_{c3}^2$ , and  $\rho_{c3}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 3 (up-regulated genes) for diseased subjects;  $\mu_{n3}, \sigma_{n3}^2$ , and  $\rho_{n3}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 3 (up-regulated genes) for non-diseased subjects.

Note that genes in cluster 2 are non-differentially expressed across abnormal and normal tissue samples. Hence there are only 3 parameters for cluster 2.

To make sure the identifiability, we set the following constraints:  $\mu_{c1} > \mu_{n1}$  and  $\mu_{c3} < \mu_{n3}$ .

To make sure the marginal covariance matrices are positive definite, we set the following constraints:  $-1/(n_c - 1) < \rho_{c1} < 1$ ,  $-1/(n_n - 1) < \rho_{n1} < 1$ ,  $-1/(n - 1) < \rho_2 < 1$ ,  $-1/(n_c - 1) < \rho_{c3} < 1$ ,  $-1/(n_n - 1) < \rho_{n3} < 1$ .

We also has the following constraints for the mixing proportion:  $\pi_3 = 1 - \pi_1 - \pi_2$ ,  $\pi_k > 0$ ,  $k = 1, 2, 3$ .

We apply the EM algorithm to estimate the model parameters. We regard the cluster membership of genes as missing values.

To facilitate the estimation of the parameters, we reparametrize the parameter vector as  $\theta^* = (\pi_1, \pi_2, \mu_{c1}, \sigma_{c1}^2, r_{c1}, \delta_{n1}, \sigma_{n1}^2, r_{n1}, \mu_2, \sigma_2^2, r_2, \mu_{c3}, \sigma_{c3}^2, r_{c3}, \delta_{n3}, \sigma_{n3}^2, r_{n3})$ , where  $\mu_{n1} = \mu_{c1} - \exp(\delta_{n1})$ ,  $\mu_{n3} = \mu_{c3} + \exp(\delta_{n3})$ ,  $\rho_{c1} = (\exp(r_{c1}) - 1 / (n_c - 1)) / (1 + \exp(r_{c1}))$ ,  $\rho_{n1} = (\exp(r_{n1}) - 1 / (n_n - 1)) / (1 + \exp(r_{n1}))$ ,  $\rho_2 = (\exp(r_2) - 1 / (n - 1)) / (1 + \exp(r_2))$ ,  $\rho_{c3} = (\exp(r_{c3}) - 1 / (n_c - 1)) / (1 + \exp(r_{c3}))$ ,  $\rho_{n3} = (\exp(r_{n3}) - 1 / (n_n - 1)) / (1 + \exp(r_{n3}))$ .

Given a gene, the expression levels of the gene are assumed independent. However, after scaling, the scaled expression levels of the gene are no longer independent and the rank  $r^* = r - 1$  of the covariance matrix for the scaled gene profile will be one less than the rank  $r$  for the un-scaled gene profile. Hence the covariance matrix of the gene profile will no longer be positive-definite. To avoid this problem, we delete a tissue sample after scaling since its information has been incorporated by other scaled tissue samples. We arbitrarily select the tissue sample, which has the biggest label number, from the tissue sample group that has larger size than the other tissue sample group. For example, if there are 6 cancer tissue samples and 10 normal tissue samples, we delete the 10-th normal tissue sample after scaling.

## Value

A list contains 13 elements.

dat	the (transformed) microarray data matrix. If transformation performed, then dat will be different from the input microarray data matrix.
memSubjects	the same as the input memSubjects.
memGenes	a vector of cluster membership of genes. 1 means up-regulated gene; 2 means non-differentially expressed gene; 3 means down-regulated gene.
memGenes2	an variant of the vector of cluster membership of genes. 1 means differentially expressed gene; 0 means non-differentially expressed gene.
para	parameter estimates (c.f. details).
llkh	value of the loglikelihood function.
wiMat	posterior probability that a gene belongs to a cluster given the expression levels of this gene. Column i is for cluster i.
memIni	the initial cluster membership of genes.
paraIni	the parameter estimates based on initial gene cluster membership.
llkhIni	the value of loglikelihood function.
lambda	the parameter used to do Box-Cox transformation
paraRP	parameter estimates for reparametrized parameter vector (c.f. details).
paraIniRP	the parameter estimates for reparametrized parameter vector based on initial gene cluster membership.

## Note

The speed of the program can be slow for large data sets, however it has been improved using Fortran code.

**Author(s)**

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**References**

Qiu, W.-L., He, W., Wang, X.-G. and Lazarus, R. (2008). A Marginal Mixture Model for Selecting Differentially Expressed Genes across Two Types of Tissue Samples. *The International Journal of Biostatistics*. 4(1):Article 20. <http://www.bepress.com/ijb/vol4/iss1/20>

**See Also**

[gsMMD](#), [gsMMD.default](#), [gsMMD2.default](#)

**Examples**

```
## Not run:
library(ALL)
data(ALL)
eSet1 <- ALL[1:100, ALL$BT == "B3" | ALL$BT == "T2"]

mem.str <- as.character(eSet1$BT)
nSubjects <- length(mem.str)
memSubjects <- rep(0, nSubjects)
# B3 coded as 0, T2 coded as 1
memSubjects[mem.str == "T2"] <- 1

myWilcox <-
function(x, memSubjects, alpha = 0.05)
{
  xc <- x[memSubjects == 1]
  xn <- x[memSubjects == 0]

  m <- sum(memSubjects == 1)
  res <- wilcox.test(x = xc, y = xn, conf.level = 1 - alpha)
  res2 <- c(res$p.value, res$statistic - m * (m + 1) / 2)
  names(res2) <- c("p.value", "statistic")

  return(res2)
}

mat <- exprs(eSet1)
tmp <- t(apply(mat, 1, myWilcox, memSubjects = memSubjects))
colnames(tmp) <- c("p.value", "statistic")
memIni <- rep(2, nrow(mat))
memIni[tmp[, 1] < 0.05 & tmp[, 2] > 0] <- 1
memIni[tmp[, 1] < 0.05 & tmp[, 2] < 0] <- 3

cat("initial gene cluster size>>\n"); print(table(memIni)); cat("\n");
```

```

obj.gsMMD <- gsMMD2(eSet1, memSubjects, memIni, transformFlag = TRUE,
  transformMethod = "boxcox", scaleFlag = TRUE, quiet = FALSE)
round(obj.gsMMD$para, 3)

## End(Not run)

```

---

gsMMD2.default

*Gene selection based on a mixture of marginal distributions*


---

## Description

Gene selection based on the marginal distributions of gene profiles that characterized by a mixture of three-component multivariate distributions. Input is a data matrix. The user needs to provide initial gene cluster membership.

## Usage

```

gsMMD2.default(X,
  memSubjects,
  memIni,
  maxFlag = TRUE,
  thrshPostProb = 0.5,
  geneNames = NULL,
  alpha = 0.05,
  transformFlag = FALSE,
  transformMethod = "boxcox",
  scaleFlag = TRUE,
  criterion = c("cor", "skewness", "kurtosis"),
  minL = -10,
  maxL = 10,
  stepL = 0.1,
  eps = 0.001,
  ITMAX = 100,
  plotFlag = FALSE,
  quiet=TRUE)

```

## Arguments

X	a data matrix. The rows of the matrix are genes. The columns of the matrix are subjects.
memSubjects	a vector of membership of subjects. memSubjects[i]=1 means the <i>i</i> -th subject belongs to diseased group, 0 otherwise.
memIni	a vector of user-provided gene cluster membership.
maxFlag	logical. Indicate how to assign gene class membership. maxFlag=TRUE means that a gene will be assigned to a class in which the posterior probability of the gene belongs to this class is maximum. maxFlag=FALSE means that a gene

will be assigned to class 1 if the posterior probability of the gene belongs to class 1 is greater than thrshPostProb. Similarly, a gene will be assigned to class 1 if the posterior probability of the gene belongs to class 1 is greater than thrshPostProb. If the posterior probability is less than thrshPostProb, the gene will be assigned to class 2 (non-differentially expressed gene group).

thrshPostProb	threshold for posterior probabilities. For example, if the posterior probability that a gene belongs to cluster 1 given its gene expression levels is larger than thrshPostProb, then this gene will be assigned to cluster 1.
geneNames	an optional character vector of gene names
alpha	significant level which is equal to 1-conf.level, conf.level is the argument for the function t.test.
transformFlag	logical. Indicate if data transformation is needed
transformMethod	method for transforming data. Available methods include "boxcox", "log2", "log10", "log", "none".
scaleFlag	logical. Indicate if gene profiles are to be scaled. If transformFlag=TRUE and scaleFlag=TRUE, then scaling is performed after transformation. To avoid linear dependence of tissue samples after scaling gene profiles, we delete one tissue sample after scaling (c.f. details).
criterion	if transformFlag=TRUE, criterion indicates what criterion to determine if data looks like normal. "cor" means using Pearson's correlation. The idea is that the observed quantiles after transformation should be close to theoretical normal quantiles. So we can use Pearson's correlation to check if the scatter plot of theoretical normal quantiles versus observed quantiles is a straightline. "skewness" means using skewness measure to check if the distribution of the transformed data are close to normal distribution; "kurtosis" means using kurtosis measure to check normality.
minL	lower limit for the lambda parameter used in Box-Cox transformation
maxL	upper limit for the lambda parameter used in Box-Cox transformation
stepL	tolerance when searching the optimal lambda parameter used in Box-Cox transformation
eps	a small positive value. If the absolute value of a value is smaller than eps, this value is regarded as zero.
ITMAX	maximum iteration allowed for iterations in the EM algorithm
plotFlag	logical. Indicate if the Box-Cox normality plot should be output.
quiet	logical. Indicate if intermediate results should be printed out.

## Details

We assume that the distribution of gene expression profiles is a mixture of 3-component multivariate normal distributions  $\sum_{k=1}^3 \pi_k f_k(x|\theta)$ . Each component distribution  $f_k$  corresponds to a gene cluster. The 3 components correspond to 3 gene clusters: (1) up-regulated gene cluster, (2) non-differentially expressed gene cluster, and (3) down-regulated gene cluster. The model parameter vector is  $\theta = (\pi_1, \pi_2, \pi_3, \mu_{c1}, \sigma_{c1}^2, \rho_{c1}, \mu_{n1}, \sigma_{n1}^2, \rho_{n1}, \mu_2, \sigma_2^2, \rho_2, \mu_{c3}, \sigma_{c3}^2, \rho_{c3}, \mu_{n3}, \sigma_{n3}^2, \rho_{n3})$ .

where  $\pi_1, \pi_2$ , and  $\pi_3$  are the mixing proportions;  $\mu_{c1}, \sigma_{c1}^2$ , and  $\rho_{c1}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 1 (up-regulated genes) for diseased subjects;  $\mu_{n1}, \sigma_{n1}^2$ , and  $\rho_{n1}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 1 (up-regulated genes) for non-diseased subjects;  $\mu_2, \sigma_2^2$ , and  $\rho_2$  are the marginal mean, variance, and correlation of gene expression levels of cluster 2 (non-differentially expressed genes);  $\mu_{c3}, \sigma_{c3}^2$ , and  $\rho_{c3}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 3 (up-regulated genes) for diseased subjects;  $\mu_{n3}, \sigma_{n3}^2$ , and  $\rho_{n3}$  are the marginal mean, variance, and correlation of gene expression levels of cluster 3 (up-regulated genes) for non-diseased subjects.

Note that genes in cluster 2 are non-differentially expressed across abnormal and normal tissue samples. Hence there are only 3 parameters for cluster 2.

To make sure the identifiability, we set the following constraints:  $\mu_{c1} > \mu_{n1}$  and  $\mu_{c3} < \mu_{n3}$ .

To make sure the marginal covariance matrices are positive definite, we set the following constraints:  $-1/(n_c - 1) < \rho_{c1} < 1$ ,  $-1/(n_n - 1) < \rho_{n1} < 1$ ,  $-1/(n - 1) < \rho_2 < 1$ ,  $-1/(n_c - 1) < \rho_{c3} < 1$ ,  $-1/(n_n - 1) < \rho_{n3} < 1$ .

We also has the following constraints for the mixing proportion:  $\pi_3 = 1 - \pi_1 - \pi_2$ ,  $\pi_k > 0$ ,  $k = 1, 2, 3$ .

We apply the EM algorithm to estimate the model parameters. We regard the cluster membership of genes as missing values.

To facilitate the estimation of the parameters, we reparametrize the parameter vector as  $\theta^* = (\pi_1, \pi_2, \mu_{c1}, \sigma_{c1}^2, r_{c1}, \delta_{n1}, \sigma_{n1}^2, r_{n1}, \mu_2, \sigma_2^2, r_2, \mu_{c3}, \sigma_{c3}^2, r_{c3}, \delta_{n3}, \sigma_{n3}^2, r_{n3})$ , where  $\mu_{n1} = \mu_{c1} - \exp(\delta_{n1})$ ,  $\mu_{n3} = \mu_{c3} + \exp(\delta_{n3})$ ,  $\rho_{c1} = (\exp(r_{c1}) - 1/(n_c - 1))/(1 + \exp(r_{c1}))$ ,  $\rho_{n1} = (\exp(r_{n1}) - 1/(n_n - 1))/(1 + \exp(r_{n1}))$ ,  $\rho_2 = (\exp(r_2) - 1/(n - 1))/(1 + \exp(r_2))$ ,  $\rho_{c3} = (\exp(r_{c3}) - 1/(n_c - 1))/(1 + \exp(r_{c3}))$ ,  $\rho_{n3} = (\exp(r_{n3}) - 1/(n_n - 1))/(1 + \exp(r_{n3}))$ .

Given a gene, the expression levels of the gene are assumed independent. However, after scaling, the scaled expression levels of the gene are no longer independent and the rank  $r^* = r - 1$  of the covariance matrix for the scaled gene profile will be one less than the rank  $r$  for the un-scaled gene profile. Hence the covariance matrix of the gene profile will no longer be positive-definite. To avoid this problem, we delete a tissue sample after scaling since its information has been incorporated by other scaled tissue samples. We arbitrarily select the tissue sample, which has the biggest label number, from the tissue sample group that has larger size than the other tissue sample group. For example, if there are 6 cancer tissue samples and 10 normal tissue samples, we delete the 10-th normal tissue sample after scaling.

## Value

A list contains 13 elements.

dat	the (transformed) microarray data matrix. If tranformation performed, then dat will be different from the input microarray data matrix.
memSubjects	the same as the input memSubjects.
memGenes	a vector of cluster membership of genes. 1 means up-regulated gene; 2 means non-differentially expressed gene; 3 means down-regulated gene.
memGenes2	an variant of the vector of cluster membership of genes. 1 means differentially expressed gene; 0 means non-differentially expressed gene.
para	parameter estimates (c.f. details).

llkh	value of the loglikelihood function.
wiMat	posterior probability that a gene belongs to a cluster given the expression levels of this gene. Column i is for cluster i.
memIni	the initial cluster membership of genes.
paraIni	the parameter estimates based on initial gene cluster membership.
llkhIni	the value of loglikelihood function.
lambda	the parameter used to do Box-Cox transformation
paraRP	parameter estimates for reparametrized parameter vector (c.f. details).
paraIniRP	the parameter estimates for reparametrized parameter vector based on initial gene cluster membership.

**Note**

The speed of the program can be slow for large data sets, however it has been improved using Fortran code.

**Author(s)**

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**References**

Qiu, W.-L., He, W., Wang, X.-G. and Lazarus, R. (2008). A Marginal Mixture Model for Selecting Differentially Expressed Genes across Two Types of Tissue Samples. *The International Journal of Biostatistics*. 4(1):Article 20. <http://www.bepress.com/ijb/vol4/iss1/20>

**See Also**

[gsMMD](#), [gsMMD.default](#), [gsMMD2](#)

**Examples**

```
## Not run:
library(ALL)
data(ALL)
eSet1 <- ALL[1:100, ALL$BT == "B3" | ALL$BT == "T2"]
mat <- exprs(eSet1)

mem.str <- as.character(eSet1$BT)
nSubjects <- length(mem.str)
memSubjects <- rep(0, nSubjects)
# B3 coded as 0, T2 coded as 1
memSubjects[mem.str == "T2"] <- 1

myWilcox <-
function(x, memSubjects, alpha = 0.05)
{
```

```

xc <- x[memSubjects == 1]
xn <- x[memSubjects == 0]

m <- sum(memSubjects == 1)
res <- wilcox.test(x = xc, y = xn, conf.level = 1 - alpha)
res2 <- c(res$p.value, res$statistic - m * (m + 1) / 2)
names(res2) <- c("p.value", "statistic")

return(res2)
}

tmp <- t(apply(mat, 1, myWilcox, memSubjects = memSubjects))
colnames(tmp) <- c("p.value", "statistic")
memIni <- rep(2, nrow(mat))
memIni[tmp[, 1] < 0.05 & tmp[, 2] > 0] <- 1
memIni[tmp[, 1] < 0.05 & tmp[,2] < 0] <- 3

cat("initial gene cluster size>>\n"); print(table(memIni)); cat("\n");

obj.gsMMD <- gsMMD2.default(mat, memSubjects, memIni = memIni,
  transformFlag = TRUE, transformMethod = "boxcox", scaleFlag = TRUE)
round(obj.gsMMD$para, 3)

## End(Not run)

```

---

obtainResi

*Replace expression levels by the residuals of regression analysis to remove the confounding effects.*

---

### Description

Replace expression levels by the residuals of regression analysis in which predictor of interest is not in the regression model. The purpose of this function is to remove potential confounding factors.

### Usage

```
obtainResi(es, fmla)
```

### Arguments

es	An ExpressionSet object.
fmla	A formula object that specifies the covariates of the linear regression model. The variable of interest should not be included. No response variable should be specified in fmla since the response variable is always the expression level. See function <code>lmFit</code> of R Bioconductor package <code>limma</code> .

**Details**

To remove confounding effects, we can replace the expression level by the residuals of a linear regression model with response variable the expression level and covariates the potential confounders. The functions `lmFit` and `eBayes` will be used to obtain regression coefficients.

**Value**

An `ExpressionSet` object with expression levels replaced by residuals of linear regression analysis.

**Note**

The number of arrays of the returned `ExpressionSet` object might be smaller than that of the original `ExpressionSet` object, due to missing values in covariates.

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---

plotHistDensity	<i>Plot of histogram and density estimate of the pooled gene expression levels.</i>
-----------------	---

---

**Description**

Plot of histogram of pooled gene expression levels, composited with density estimate based on the mixture of marginal distributions. The density estimate is based on the assumption that the marginal correlations between subjects are zero.

**Usage**

```
plotHistDensity(obj.gsMMD,
  plotFlag = "case",
  plotComponent = FALSE,
  myxlab = "expression level",
  myylab = "density",
  mytitle = "Histogram with estimated density (case)",
  x.legend = NULL,
  y.legend = NULL,
  numPoints = 500,
  mycol = 1:4,
  mylty = 1:4,
  mylwd = rep(3,4),
  cex.main = 2,
  cex.lab = 1.5,
  cex.axis = 1.5,
```

```
cex = 2,
bty = "n")
```

### Arguments

<code>obj.gsMMD</code>	an object returned by <code>gsMMD</code> , <code>gsMMD.default</code> , <code>gsMMD2</code> , or <code>gsMMD2.default</code>
<code>plotFlag</code>	logical. Indicate the plot will based on which type of subjects.
<code>plotComponent</code>	logical. Indicate if components of the mixture of marginal distribution will be plotted.
<code>myxlab</code>	label for x-axis
<code>myylab</code>	label for y-axis
<code>mytitle</code>	title of the plot
<code>x.legend</code>	the x-coordinates of the legend
<code>y.legend</code>	the y-coordinates of the legend
<code>numPoints</code>	logical. Indicate how many genes will be plots.
<code>mycol</code>	color for the density estimates (overall and components)
<code>mylty</code>	line styles for the density estimates (overall and components)
<code>mylwd</code>	line width for the density estimates (overall and components)
<code>cex.main</code>	font for main title
<code>cex.lab</code>	font for x- and y-axis labels
<code>cex.axis</code>	font for x- and y-axis
<code>cex</code>	font for texts
<code>bty</code>	the type of box to be drawn around the legend. The allowed values are "o" and "n" (the default).

### Details

For a given type of subjects, we pool their expression levels together if the marginal correlations among subjects are zero. We then draw a histogram of the pooled expression levels. Next, we composite density estimates of gene expression levels for the overall distribution and the 3 component distributions.

### Value

A list containing coordinates of the density estimates:

<code>x</code>	sorted pooled gene expression levels for cases or controls.
<code>x2</code>	a subset of <code>x</code> specified by the sequence: <code>seq(from = 1, to = len.x, by = delta)</code> , where <code>len.x</code> is the length of the vector <code>x</code> , and <code>delta = floor(len.x/numpoints)</code> .
<code>y</code>	density estimate corresponding to <code>x2</code>
<code>y1</code>	weighted density estimate for gene cluster 1
<code>y2</code>	weighted density estimate for gene cluster 2
<code>y3</code>	weighted density estimate for gene cluster 3

**Note**

The density estimate is obtained based on the assumption that the marginal correlation among subjects is zero. If the estimated marginal correlation obtained by gsMMD is far from zero, then do not use this plot function.

**Author(s)**

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**References**

Qiu, W.-L., He, W., Wang, X.-G. and Lazarus, R. (2008). A Marginal Mixture Model for Selecting Differentially Expressed Genes across Two Types of Tissue Samples. *The International Journal of Biostatistics*. 4(1):Article 20. <http://www.bepress.com/ijb/vol4/iss1/20>

**Examples**

```
## Not run:
library(ALL)
data(ALL)
eSet1 <- ALL[1:100, ALL$BT == "B3" | ALL$BT == "T2"]

mem.str <- as.character(eSet1$BT)
nSubjects <- length(mem.str)
memSubjects <- rep(0, nSubjects)
# B3 coded as 0 (control), T2 coded as 1 (case)
memSubjects[mem.str == "T2"] <- 1

obj.gsMMD <- gsMMD(eSet1, memSubjects, transformFlag = TRUE,
  transformMethod = "boxcox", scaleFlag = TRUE, quiet = FALSE)

plotHistDensity(obj.gsMMD, plotFlag = "case",
  mytitle = "Histogram of for T2 imposed with estimated density (case)",
  plotComponent = TRUE,
  x.legend = c(0.8, 3),
  y.legend = c(0.3, 0.4),
  numPoints = 500)

## End(Not run)
```

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